# New mechanism of singlet-oxygen production in processes with participation of electronically and vibrationally excited ozone molecules

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A theoretical model of the production of oxygen molecules in the lower singlet state  $a^1\Delta_g$  in excited nitrogen-oxygen gaseous media is presented. The model includes a new mechanism of  $O_2(a^1\Delta_g)$  production by means of energy transfer accompanying the interaction of the electronically excited  $1^3B_2$  state of ozone with ground-state oxygen molecules. It is shown that ozone molecules in the  $1^3B_2$  state are produced mainly by nonadiabatic transitions from the  ${}^1A_1$  ground state as a result of strong excitation of asymmetric vibrations of  $O_3$ . It is shown that vibrationally excited nitrogen plays an important role as a reservoir for asymmetric vibrations of ozone. The observed acceleration of the quenching of  $O_2(a^1\Delta_g)$  molecules in reactions with ozone is associated with the excitation of bending vibrations of  $O_3$  and probably proceeds via the excitation of the intermediate electronic state  $O_3(1^3B_2)$ . The rate constants for previously unknown processes were determined by comparing the modeling results to experimental data. Values were obtained for the rate constants of vv' exchange between  $N_2(v=1)$  and  $O_3(101)$  and for quasiresonant transfer of electronic excitation from  $O_3(1^3B_2)$  to  $O_2(a^1\Delta_g)$ :  $(5\pm 2)\cdot 10^{-14}$  cm<sup>3</sup>/s and  $(1.4\pm 0.5)\cdot 10^{-12}$  cm<sup>3</sup>/s, respectively. © 1995 American Institute of Physics.

#### 1. INTRODUCTION

Singlet oxygen molecules are oxygen molecules excited to the lowest metastable level  $a^1\Delta_g$  (the excitation energy is 0.977 eV). This level is long-lived and its radiative lifetime is  $\approx 4700 \text{ s.}^1$  The long radiative lifetime and the low quenching rate of singlet oxygen  $O_2(a^1\Delta_g)$  allow for efficient accumulation of these molecules in a gaseous medium, and this makes possible long-time storage of energy in electronic levels of molecular oxygen.

This feature of singlet oxygen is used to achieve inversion in the  $5^2 P_{1/2} \rightarrow 5^2 P_{3/2}$  transition of atomic iodine in an oxygen-iodine laser.<sup>2</sup>

The development of electric-discharge methods for pumping an oxygen-iodine laser stimulated a search for conditions that would make it possible to obtain the high concentration of metastable oxygen molecules  $O_2(a^1\Delta_g)$  (more than 17–20%) that is required for inversion of a transition in atomic iodine.<sup>3–7</sup>

These investigations reveal that for high  $O_2(a^1\Delta_g)$  concentrations, the conductivity of the gas-discharge plasma can increase because electron detachment from negative ions is accelerated,<sup>8,9</sup> which can therefore change the conditions under which discharges burn. This effect is fundamental for the development of an entire class of gas-discharge devices employing oxygen as a component of the working medium—ozonizers, plasma-chemical reactors in microelectronics, etc. It should be noted that gas-discharge methods for excitation of a medium open up new ways to investigate processes involving singlet oxygen under strongly nonequilibrium conditions.

in the earth's upper atmosphere. The luminescence of  $O_2(a^1\Delta_g)$  molecules determines the intensity of IR emissions of the atmosphere near 1.27  $\mu$ m, which are strongest in the daytime and nightime sky glow.<sup>1</sup> Note that the question of the mechanism of singlet oxygen production in the amounts required to explain the observed intensity of IR emissions of the atmosphere is still open.

The kinetics of singlet oxygen in the earth's atmosphere is closely associated with the kinetics of atmospheric ozone. The main source of singlet oxygen in the earth's atmosphere is ozone photolysis in the Hartley band (200-310 nm); this is the main channel for the production of  $O_2(a^1\Delta_g)$  and atomic oxygen in the excited state  ${}^1D$ . The interaction of  $O_2(a^1\Delta_g)$  molecules with ozone molecules in turn results in the destruction of ozone molecules.

The great progress achieved over the last few years in laboratory investigations has appreciably expanded our understanding of the kinetics of processes in a strongly non-equilibrium oxygen-containing medium. There is an extensive literature on investigations of processes resulting in the production and destruction of singlet-oxygen molecules as well as energy transformation processes in a nonequilibrium oxygen-containing medium.<sup>2–12</sup>

In a gas-discharge plasma the  $O_2(a^1\Delta_g)$  molecules are excited in inelastic interactions of electrons with oxygen molecules. In experiments in a drift chamber,<sup>3-5</sup> however, the rate of  $O_2(a^1\Delta_g)$  production was found to be higher than by direct electron impact. To explain this, cascade processes which populate the electronic level  $a^1\Delta_g$  from higher-lying electronic states  $c^1\Sigma_u^-$  and  $b^1\Sigma_g^+$  were introduced into the analysis.<sup>3-5</sup>

Singlet oxygen is one of the most important components

A number of pulsed-discharge experiments yielded re-

sults that could not be explained by cascade filling of the  $a^1\Delta_g$  state.<sup>6,10-12</sup> For example, in Ref. 6 the  $O_2(a^1\Delta_g)$  kinetics with the excitation of a nitrogen-oxygen mixture by a self-sustained volume discharge was investigated. Comparing the results of numerical modeling to the experimental data showed<sup>6</sup> that to explain the observed high  $O_2(a^1\Delta_g)$  concentration some mechanism for transforming the vibrational energy stored in nitrogen into excitation energy of the  $a^1\Delta_g$  electronic level of the oxygen molecule must be introduced. The investigation of the kinetics of singlet-oxygen production in the afterglow of an externally driven discharge in a N<sub>2</sub>:O<sub>2</sub> mixture<sup>10</sup> (in which ~95% of the energy fed into the discharge is stored in the vibrational degrees of freedom of the nitrogen molecules) confirm the hypothesis of Ref. 6.

The need to clarify the mechanism of such efficient  $O_2(a^1\Delta_g)$  production in excited nitrogen-oxygen mixtures as well as the lack of an adequate kinetic model of this phenomenon stimulated a series of experimental investigations.<sup>11,12</sup>

In the experiments of Refs. 11 and 12 the time dependence of the  $O_2(a^1\Delta_g)$  concentration was investigated both with mixing of nitrogen and oxygen flows excited separately by hf discharges and with the excitation of a  $N_2:O_2$  mixture. It was found that the emission of  $O_2(a^1\Delta_g)$  molecules after the excited nitrogen and oxygen flows are mixed is nonmonotonic. This nonmonotonicity can be interpreted as the appearance of an additional  $O_2(a^1\Delta_g)$  production channel. Analysis of the experimental data of Refs. 11 and 12 made it possible to determine the general role of vibrationally excited ozone in the mechanism of  $O_2(a^1\Delta_g)$  production.

Anomalous behavior of  $O_2(a^1\Delta_g)$  luminescence was also observed under different experimental conditions in Ref. 13, where  $O_2(a^1\Delta_g)$  production with an admixture of molecular oxygen in a nitrogen flow containing  $O_2(a^1\Delta_g)$  atoms was studied. A high rate of  $O_2(a^1\Delta_g)$  production, corresponding to the production rates of singlet oxygen in the earth's atmosphere, was observed. Note that the data of Ref. 13, like the results of Refs. 11 and 12, cannot be explained on the basis of currently existing kinetic models.

In the present paper we propose a new kinetic model that makes it possible to explain existing experimental data on  $O_2(a^1\Delta_g)$  production and destruction in excited nitrogen-oxygen mixtures on the basis of a single system of processes which includes reactions in which electronically and vibrationally excited ozone molecules participate.

### 2. MODELING OF CHEMICAL PROCESSES OCCURRING DURING THE MIXING OF EXCITED NITROGEN AND OXYGEN FLOWS

The new kinetic model of singlet-oxygen production by mixing of independently excited gas which is described in the present paper stems from a comparison of numerical calculations with a large array of experimental data.<sup>11,12</sup>

The experiments of Refs. 11 and 12 studied the dynamics of the  $O_2(a^1\Delta_g)$  concentration in connection with both mixing of nitrogen and oxygen flows excited separately by hf discharges and excitation of a  $N_2:O_2$  mixture. It was shown that the rate of  $O_2(a^1\Delta_g)$  production during mixing of excited nitrogen and oxygen flows is proportional to the  $O_2$  concentration. Moreover, it was observed that the  $O_2(a^1\Delta_g)$  emission is nonmonotonic; this can be interpreted as the appearance of additional  $O_2(a^1\Delta_g)$  production channels. It was shown that the degree of nonmonotonicity decreases with increasing oxygen fraction in the mixture as well as with the deactivation of the vibrational excitation of nitrogen molecules. The nonmonotonicity of the emission vanished if  $O({}^{3}P)$  oxygen atoms and, correspondingly, ozone molecules are artificially "removed" from the mixing zone.

In the first stage of the numerical modeling of the experiments of Refs. 11 and 12, the degree of nonequilibrium excitation and dissociation of each of the gases in the hf discharges was calculated, followed by relaxation of this excitation during transport of the gases to the mixing zone. These data were used as the initial conditions for calculating the dynamics of the mixture composition after the excited nitrogen and oxygen flows are mixed.

In the modeling of hf discharges a self-consistent calculation was performed of the electron energy distribution function and the system of kinetic equations was solved for the charged and neutral components of the plasma in the local-effective-field approximation. In the calculations the sets of cross sections for the interaction of electrons with oxygen and nitrogen molecules were used, like the set employed in Ref. 9, including the cross sections obtained in Ref. 6 for the dissociation of  $O_2$  molecules by electron impact.

The effective reduced fields E/N in hf discharges in N<sub>2</sub> and  $O_2$  were determined so as to obtain the best agreement between the computed and experimentally measured values of the current densities, the specific energy input, the gas temperature, and the  $O_2(a^1\Delta_g)$  and  $O_2(b^1\Sigma_g^+)$  concentrations. Note that the values found for E/N are in good agreement with the value of the effective field in the positive column of the discharge determined by a self-consistent model of an hf discharge in oxygen,<sup>9</sup> which included a calculation of the electric field in the interelectrode gap, taking into account the nonlocal nature of the electron energy distribution function, as well as the spatial distributions of the charged and neutral particles. The occupancies of the lower vibrational levels of the N2 molecules were found by solving the system of equations describing the vibrational kinetics of individual levels.

The collections of cross sections for the interaction of electrons with nitrogen and oxygen molecules as well as data on the rates of the known chemical reactions, which are employed in the present paper, have been tested many times by comparing the calculations and experimental data.<sup>6,7,9,11</sup>

The occupancies of the electronic and vibrational states of nitrogen and oxygen molecules, which were determined by modeling the action of hf discharges on each of these gases and their subsequent transport up to the mixing zone, were used as input data for the equations of chemical kinetics, which describe the processes occurring in the mixing zone of the gas flows.

#### 2.1. Kinetic scheme

The kinetic scheme included reactions involving particles whose characteristic lifetimes (collisional and radiative) were longer than the corresponding transport times of the gases up to the mixing zone. To model the  $O_2(a^1\Delta_g)$ kinetics in the mixing zone under the experimental conditions of Refs. 11 and 12, it is sufficient to take into account processes involving the following particles:  $O_2a^1\Delta_g$ ,  $O_2(b^1\Sigma_{g^+}^+)$ ,  $O({}^3P)$ ,  $O_3(v_1,v_2,v_3)$ , and  $N_2(X^1\Sigma_{g^+}^+,v)$ . Here,  $N_2(X^1\Sigma_{g^+}^+,v)$  are nitrogen molecules in the *v*th vibrational level of the electronic ground state;  $O_3(v_1,v_2,v_3)$  are ozone molecules in the ground electronic state  ${}^1A_1(C_{2v})$ ;  $v_1,v_2$ , and  $v_3$  are the vibrational quanta in the symmetric stretching mode, the symmetric bending mode, and the asymmetric stretching mode, respectively.

It should be noted that the atomic oxygen in the oxygen gas excited in the discharge is almost completely converted into ozone as it flows into the mixing zone  $(t_{tr} > 40 \text{ ms})$ , since under the conditions studied the characteristic conversion time is 15 ms. The relaxation times for the vibrational excitation of the oxygen molecules under the conditions of Ref. 11 are appreciably shorter than the transport time  $t_{tr}$ , and hence there is enough time for the vibrational excitation in the oxygen flow to relax before the mixing zone is reached.

The lack of information about vibrational and relaxation processes in different modes of this system makes it difficult to analyze in detail the kinetics of individual levels in the system consisting of  $N_2(v)$  and  $O_3(v_1, v_2, v_3)$ . The quanta of the ozone stretching vibrations are close in magnitude,<sup>16,17</sup> so that the vv' exchange rate between the  $O_3$  stretching modes is quite high. This makes it possible to combine the symmetric and asymmetric stretching vibrations of the ozone molecule into a single doubly degenerate mode.<sup>18,19</sup> In what follows, all quantities referring to the combined mode of  $O_3$  will be marked with the index "a" (asymmetric mode), and the quantities referring to the symmetric bending mode will be marked with the index "s."

We note that under the experimental conditions of Ref. 11, the intramode exchange rates in both  $O_3$  and  $N_2$  are higher than the intermolecular and intramode exchange rates. The vv' vibrational exchange process between  $N_2$  and  $O_3$  in the lower levels has a quasiresonance character (one vibrational quantum of a nitrogen molecule equals approximately two quanta of stretching vibrations of ozone):

$$N_2(1) + O_3(000) \rightarrow N_2(0) + O_3(101),$$
 (1)

(the rate constant  $K_1$  of this reaction was a parameter of the model). For this reason vv' exchange between the lower vibrational levels of N<sub>2</sub> and O<sub>3</sub> will make the main contribution to the vibrational exchange process. This makes it possible to employ the harmonic-oscillator approximation, and the quasistationary distributions over the vibrational levels in nitrogen and the two modes of ozone can be determined by the vibrational temperatures  $T_n$ ,  $T_a$ , and  $T_s$ , respectively.

The approach of Ref. 20 was used to describe the effect of the vibrational excitation of ozone molecules on the rates of endothermal processes. In this approach the dependence of the microscopic reaction rate constant  $K_R$  on the energy  $E_v$  of the vth vibrational level has the form

$$k_{R}(E_{v}) = k_{0} \exp\left\{\left(-\frac{E_{act} - \alpha E_{v}}{kT}\right)\theta(E_{act} - \alpha E_{v})\right\}, \quad (2)$$

where T is the gas temperature,  $E_{act}$  is the activation energy of the reaction,  $\theta(x)$  is the Heaviside function, k is Boltzmann's constant,  $k_a$  is the rate constant for gas-kinetic collisions, and  $\alpha$  is an empirical parameter that describes the acceleration of the reaction stimulated by the vibrational excitation as a result of a decrease in the activation barrier by an amount  $\alpha E_n$ .

Averaging the relation (2) over a Boltzmann distribution in the vibrational modes of ozone gives the following expression for the reaction rate constant:

$$K = k_0 \exp\left\{-\frac{E_{act}}{\alpha k T_v}\right\} \left[1 + \left\{\exp(E_{act}\beta) - 1\right\} \times \frac{1 - \exp(-\hbar\omega/kT_v)}{1 - \exp(-\alpha\hbar\omega\beta)}\right],$$

$$\beta = \left(\frac{1}{\alpha T} - \frac{1}{T}\right)/k,$$
(3)

where  $\alpha = \alpha_a$  for the asymmetric mode and  $\alpha = \alpha_s$  for the symmetric mode and  $T_v$  are the vibrational temperatures of the asymmetric  $T_a$  or symmetric  $T_s$  modes of ozone.

The balance equations for the average number of vibrational quanta "n," "a," and "s" in nitrogen and the doubly degenerate asymmetric and symmetric modes of ozone, respectively, were used to model the vibrational kinetics in the nitrogen-ozone system:

$$\frac{dn}{dt} = -Q_{vv}^{na} - P_{vT}^{n}, \qquad (4)$$

$$\frac{da}{dt} = Q_{vv}^{na} - Q_{vv}^{as} - P_{vT}^{a} + F^{a} - D^{a},$$
(5)

$$\frac{ds}{dt} = Q_{vv}^{as} - P_{vT}^{s} - G^{s} + F^{c} - D^{s},$$
(6)

where

$$n = \frac{[N_2]}{\exp\{\hbar \omega_a / kT_a\} - 1}, \quad a = \frac{2[O_2]}{\exp\{\hbar \omega_a / kT_a\} - 1},$$
$$s = \frac{[O_3]}{\exp\{\hbar \omega_s / kT_s\} - 1},$$

 $\hbar \omega_{n,a,s}$  are the corresponding vibrational quanta;  $Q_{vv}^{na}$  is the vibrational exchange rate between N<sub>2</sub> and O<sub>3</sub> [reaction No. (1)];  $Q_{vv}^{as}$  is the intermode vv' exchange rate in ozone;  $P_{vT}^{n}$ ,  $P_{vT}^{a}$ , and  $P_{vT}^{s}$  are the rates of the vT relaxation reactions of nitrogen and the asymmetric and symmetric modes of ozone; and  $G^{s}$  is determined by the O<sub>3</sub>( $v_{s}$ ) decomposition reactions. The processes resulting in the production and destruction of vibrationally excited ozone molecules are designated as  $F^{a(s)}$  and  $D^{a(s)}$ , respectively.

### 2.2. Processes in which vibrationally excited ozone molecules participate

According to the experimental data of Refs. 21-23, in the three-body reactions

$$O({}^{3}P) + O_{2}(X^{3}\Sigma_{g}^{-}) + M \rightarrow O_{3}(v_{1}0v_{3}) + M, \quad M = N_{2}, O_{2}, O_{3}$$
(7)

vibrationally excited ozone molecules are produced only in the asymmetric mode. In this connection, the rate  $F^a$  of production of O<sub>3</sub> in the asymmetric mode is determined by the reactions (7), and the excitation rate  $F^s$  of molecules in the symmetric mode is assumed to be low  $(F^s \ll F^a)$ .

The process of dissociation of vibrationally excited ozone molecules

$$O_3(v_a) + M \rightarrow M + O_2(X^3 \Sigma_g^-) + O(^3P), \quad K \sim \exp\left(-\frac{E_{diss}^a}{kT_a}\right)$$
(8)

is exactly the inverse of the reaction (7). For this reason, it can be conjectured that the dissociation of vibrationally excited ozone molecules in collisions likewise proceeds predominantly via the asymmetric vibrational mode  $[D^a]$  is the dissocation rate through the excitation of the asymmetric mode in Eq. (5)]. This assumption is based on the results of quantum-mechanical calculations of the energy surfaces of the O<sub>3</sub> molecule. The results of *ab initio* calculations of the potential surface of the ground state of the ozone molecule for large internuclear distances, which correspond to the dissociation process

$$O_3({}^1A_1) \to O_3({}^1A') \to O({}^3P) + O_2(X^3\Sigma_g^-)$$
 (9)

are presented in Ref. 22.

It was shown that the energetically most favorable coordinate of the reaction (9) passes through the transitional state  ${}^{1}A'(C_s)$ , in which the angle between the valence bonds is practically equal to the angle in the equilibrium configuration  ${}^{1}A_1(C_{2v})$  of the O<sub>3</sub> molecule. In the reaction (9) ozone dissociates by means of the rupture of the valence bond with overcoming of the energy barrier  $E_a \approx 1.13$  eV.

The results of Ref. 23 indicate that dissociation via the excitation of the symmetric bending vibrational mode ( $D^s$  is the dissociation rate in this vibrational mode)

$$O_3(v_s) + M \rightarrow M + O_2(X^3 \Sigma_g^-) + O(^3P), \quad K \sim \exp\left(-\frac{E_{diss}^s}{kT_s}\right),$$

is impeded, since the motion toward the dissociation valley  $O({}^{3}P) + O_2(X^{3}\Sigma_{g}^{-})$  along this normal coordinate is associated with overcoming a higher energy barrier  $E_s \ge 2$  eV (Ref. 23) than in the case of motion along one of the valence modes, i.e.,  $D^{a} \ge D^{s}$ . This is also indicated by the fact that for  $O_3({}^{1}A_1)$  molecules, excited into the asymmetric mode, broadening of the vibrational levels as a result of predissociation is not observed right up to the dissociation limit.<sup>19</sup>

In our model the dissociation energy  $E_{diss}^s$  of ozone via the bending mode was a parameter, and we assumed  $E_{diss}^s > E_{diss}^a$ .

To describe the dissociation process, it is necessary to know the vibrational distribution function for the upper levels under conditions such that chemical reactions proceed rapidly. As shown in Ref. 20, the vibrational distribution function in the upper levels can be represented in the form

$$f_{v} \approx f_{v}^{0} \exp\left(-\int_{v^{*}}^{v} \frac{K_{d}(v')[\mathbf{M}]dv'}{Q_{vv}(v')[\mathbf{O}_{3}](1+\xi(v'))}\right), \qquad (10)$$

$$K_D = \int_{v^*}^{v_d} f_{v'} K_d(v') dv'.$$
 (11)

In Eqs. (10) and (11) the integration extends over the number of the vibrational level;  $K_d(v)$  is the microscopic rate constant for collisional dissociation of ozone;  $[O_3]$  and [M] are, respectively, the ozone concentration and the total particle concentration;  $\xi(v) = P_{vT}(v)/Q_{vv}(v)$ , where  $P_{vT}(v)$  and  $Q_{vv}(v)$  are the rate constants for vT and vv processes, respectively, in the upper levels of each vibrational mode of  $O_3$ ;  $v^*$  is the vibrational level at which the ozone dissociation process makes an appreciable contribution to the  $O_3$  $(v^*)$  population; and  $K_D$  is the total rate constant for collisional dissociation.

The dependence of the microscopic dissociation rate constant  $K_d(v)$  on the vibrational level v was assumed to be of the form (2) with  $\alpha = 1$ . Carrying out the integration in Eq. (11) gives the following dependence of the dissociation rate constant for ozone on the vibrational temperature  $T_v$ :

$$K_D \approx K_0 \exp\left(-\frac{E_{\text{diss}}^{\nu}}{T_{\nu}}\right) \phi(T_{\nu}), \qquad (12)$$
$$\left(-K_0[\mathbf{M}]\exp\left(-\frac{E_{\text{diss}}^{\nu}}{T_{\nu}}\right)\right)$$

$$\phi(T_v) = \exp\left(-\frac{(v-v)}{Q_{vv}[O_3]}\right).$$
(13)  
e factor  $\phi(T_v)$  reflects the fact that the population of the

The factor  $\phi(T_v)$  reflects the fact that the population of the upper vibrational levels decreases as a result of dissociation processes.

As we have already mentioned, analysis of the experimental data of Ref. 9 shows that  $O_2(a^1\Delta_g)$  production accompanying mixing of the excited oxygen and nitrogen flows occurs with the participation of vibrationally excited ozone, and the  $O_2(a^1\Delta_g)$  production rate in this case is proportional to the  $O_2$  concentration. This suggests that the process resulting in the appearance of the singlet-oxygen molecules is a first-order reaction with respect to the oxygen concentration, and ozone molecules which are vibrationally excited in the asymmetric mode participate in this reaction:

$$O_2(X^3\Sigma_g^-) + O_3({}^1A_1; v_a) = O_2(a^1\Delta_g) + O_3({}^1A_1; v_a = 0).$$
(14)

The qualitative agreement between the experimentally measured dymamics of  $O_2(a^1\Delta_g)$  production and the computed vibrational temperature  $T_a(t)$  of the asymmetric mode of ozone (see Figs. 2–5a and c) indicates that this vibrational mode of ozone makes the main contribution to the reaction (14). The source of such ozone molecules is three-particle reactions (7) and the vv' exchange processes (1).

The probability of the process (14) ( $\Delta v \approx 7$ ) is low because of the multiple-quantum nature of the process and the total projection of the electron spin is not conserved. However, if the reaction (14) does not proceed directly and the



FIG. 1. Correlation diagram of  $O_3$  electronic states in the ground-state geometry (vertical energies) and in the optimal  $C_{2v}$  geometry for each state (adiabatic energies) together with the  $O_2 + O$  states (according to the data of Ref. 30).

transfer of vibrational excitation energy from the asymmetric mode of the ozone molecule into the excitation energy of the electronic transition  $X^3\Sigma_g^- \rightarrow a^1\Delta_g$  in O<sub>2</sub> proceeds via the metastable electronic state  $1^3B_2$  of the ozone molecule, then the appearance of O<sub>2</sub> $(a^1\Delta_g)$  molecules can be associated with the spin-allowed reaction (15):

$$O_2(X^3\Sigma_g^-) + O_3(1^3B_2) \underset{K^-}{\overset{K^+}{\rightleftharpoons}} O_3(^1A_1) + O_2(a^1\Delta_g),$$
(15)

where  $K^+$  and  $K^-$  are the rate constants of the direct and inverse processes.

Figure 1 displays a correlation diagram of the electronic states of the O<sub>3</sub> molecule in the geometry of the ground state (vertical energies) and in the optimal (for each state)  $C_{2v}$  geometry (adiabatic energies) together with the states O + O<sub>3</sub>.<sup>26</sup> According to *ab initio* calculations of the potential surfaces of the states of O<sub>3</sub> molecule,<sup>26-28</sup> the excitation energy of the metastable state  $1^{3}B_{2}$  is  $\approx 0.9 \pm 0.2$  eV. The state  $1^{3}B_{2}$  is weakly bound and the first dissocation limit O(<sup>3</sup>P) + O<sub>2</sub>(X<sup>3</sup>\Sigma<sub>g</sub><sup>-</sup>), with which this state is correlated, is  $\approx 1.13$  eV.

When the  $O_2(a^1\Delta_g)$  production mechanism was introduced into the reaction (15), it was assumed that nonadiabatic transitions between the  $1^3B_2$  state and the group of higher-lying vibrational levels of the asymmetric mode of the ground state  $O_3({}^1A_1)$  (designated as  $v_a$ ) are possible either as a result of internal interactions in the ozone molecule or interactions with other particles. The dynamics of the motion of a strongly excited ozone molecule on the energy surfaces can be represented in the form of the following chain of transitions:

$$O_3({}^1A_1, v_a) \leftrightarrow O_3({}^1A', v_a^*) \underset{P^-}{\overset{P^+}{\rightleftharpoons}} O_3({}^3A') \leftrightarrow O_3(1{}^3B_2).$$
(16)

Here,  ${}^{1}A'$  and  ${}^{3}A'$  are states with planar symmetry  $C_s$ , which arise from the  ${}^{1}A_1$  and  ${}^{3}B_2$  states with asymmetric breaking of  $C_{2v}$  symmetry;  $P^+$  and  $P^-$  are the rates of the direct and inverse transitions between the states  ${}^{1}A'$  and  ${}^{3}A'$ .

In the case of strong asymmetric displacement of the nuclei, which corresponds to excitation of high vibrational levels of the asymmetric mode of ozone, the potential surfaces of the states  $1^{3}B_{2}(^{3}A')$  and  ${}^{1}A_{1}(^{1}A')$  approach one another.<sup>26,27</sup> In this case, the states  $1^{3}B_{2}(C_{2v})$  and  ${}^{1}A_{1}(C_{2v})$  become states of the same type  $A'(C_{s})$ , thereby increasing the probability of transitions between them.

It follows from the linear dependence of the  $O_2(a^1\Delta_g)$  production rate on the oxygen concentration<sup>11</sup> that the rates  $P^+$  and  $P^-$  must be much higher than the rate of the process (15). It can then be assumed that the relation

$$[O_3(1^3B_2)] \approx [O_3({}^1A_1, v_a)](P^+/P^-), \qquad (17)$$

where

$$[\mathbf{O}_{3}({}^{1}\boldsymbol{A}_{1},\boldsymbol{v}_{a})] \approx \frac{[\mathbf{O}_{3}]}{Z_{v}} \exp\left\{-\frac{\hbar \omega_{a} \boldsymbol{v}_{a}}{kT_{a}}\right\}, \qquad (18)$$

$$Z_{v} = \left\{ \left[ 1 - \exp\left(-\frac{\hbar \omega_{s}}{kT_{s}}\right) \right] \left[ 1 - \exp\left(-\frac{\hbar \omega_{a}}{kT_{a}}\right) \right]^{2} \right\}^{-1},$$

and  $Z_v$  is the partition function of vibrationally excited ozone in the harmonic-oscillator approximation holds for the characteristic times over which the  $O_2(a^1\Delta_g)$  concentration changes.

On the high vibrational levels  $v_a$ , close to the dissociation limit, the form of the vibrational distribution function in the asymmetric mode of O<sub>3</sub> is already very different from the Boltzmann distribution (18).<sup>21–23</sup> To describe the  $[O_3({}^1A_1, v_a)]$  populations, we employed the Treanor distribution over the vibrational states of the asymmetric mode of ozone.

The mechanism of singlet-oxygen production via the resonant transfer of excitation in a collision of  $O_2(X^3\Sigma_a)$ and  $O_3(1^3B_2)$  molecules [the reactions (15) and (16)] has not been previously proposed in the literature; we introduce it here for the first time. However, some experimental data indicate that such a mechanism is possible. The NO<sub>2</sub> and O<sub>3</sub> molecules have a similar arrangement of electronic states. In Ref. 19 it was asserted, on the basis of an analysis of the experimental data obtained, that the  ${}^{2}B_{2}$  electronic state of the NO<sub>2</sub> molecule in the high vibrational levels of the asymmetric mode is mixed with the  ${}^{2}A_{1}$  ground state. In Refs. 14 and 15 the  $O_2(a^1\Delta_g)$  production process was observed in the interaction of molecular oxygen with electronically excited  $NO_2({}^2B_2)$  molecules. These data can be regarded as an indirect indication of the possibility of the  $O_2(a^1\Delta_{\rho})$  production mechanism which we have proposed.

The deactivation of singlet-oxygen molecules is associated with the quenching of these molecules in the interaction with ozone molecules excited in a symmetric bending vibrational mode:

$$O_2(a^1\Delta_g) + O_3({}^1A_1, v_c) \rightarrow 2O_2(X^3\Sigma_g^-) + O({}^3P).$$
 (19)

It is well known that the rate constant of the process (19) is high and increases strongly as ozone is vibrationally excited.<sup>29</sup> This suggests that quenching of  $O_2(a^1\Delta_g)$  on  $O_3$ molecules proceeds via the formation of an excited intermediate complex, which decomposes into a  $O_2(X^3\Sigma_g^-)$  molecule and an electronically excited state of ozone, which predissociates into  $O({}^3P)$  and  $O_2(X^3\Sigma_g^-)$ .

Only the  $1^{3}B_{2}$  excited bound state of ozone is correlated with the system  $O_{2}(X^{3}\Sigma_{g}^{-}) + O(^{3}P)$  (see Fig. 1). The bound state  ${}^{3}B_{1}$  is also correlated with the system  $O_{2}(a^{1}\Delta_{g}) + O(^{3}P)$ ; at energies between the  $O(^{3}P) + O_{2}(X^{3}\Sigma_{g}^{-})$  and  $O(^{3}P) + O_{2}(a^{1}\Delta_{g})$  dissociation limits the  ${}^{3}B_{1}$  state crosses the  $1^{3}B_{2}$ ,  ${}^{3}A_{2}$ , and  ${}^{1}A_{2}$  states (of these, the latter two are unbound). In connection with this arrangement of the electronic states, it can be assumed that the  $O_{2}(a^{1}\Delta_{g})$  quenching process can proceed via the following channels (20a-20d):

 $O_2(a^1\Delta_g) + O_3(^1A_1)$ 

$$\rightarrow O_2(X^3\Sigma_g^-) + O_3(^1A_2) \rightarrow 2O_2(X^3\Sigma_g^-) + O(^3P)$$
 (20a)

$$\rightarrow O_2(X^3\Sigma_g^-) + O_3(^3A_2) \rightarrow 2O_2(X^3\Sigma_g^-) + O(^3P)$$
 (20b)

$$\rightarrow O_2(X^3\Sigma_g^-) + O_3(1^3B_2) \xrightarrow{1-\delta} 2O_2(X^3\Sigma_g^-) + O(^3P) \quad (20c)$$

$$\int_{-\infty}^{0} O_2(X^3 \Sigma_g^-) + O_3(1^3 B_2).$$
 (20d)

The ratio  $\delta$  between the channels (20c) and (20d) is determined by the geometry of the O<sub>3</sub> molecules in the input channel of the reaction, i.e., it depends on the vibrational quantum numbers of the ground  ${}^{1}A_{1}$  and excited  $1{}^{3}B_{2}$  states. According to our estimates  $\delta \leq 0.1$ , in agreement with the experimental data of Ref. 30.

In the present kinetic model, the rate constants of the inverse reactions, for which the experimentally measured values are unknown, were determined from the principle of detailed balance. Quenching of the excited particles on the walls of the pyrex tube was treated in the diffusion-time approximation.

The complete system of plasma-chemical and vibrational kinetics equations, together with the equation for the gas temperature, was solved using an algorithm for integrating "stiff" systems of ordinary differential equations.

The initial conditions required for solving the system of equations were determined as follows. In the experiment of Ref. 11 the  $O_2(a^1\Delta_g)$  and  $O_2(b^1\Sigma_g^+)$  concentrations and the gas temperature in the mixing zone were measured. Analysis of the experimental results and reactions with the participation of these molecules, immediately in front of the mixing zone of the N<sub>2</sub><sup>\*</sup> and O<sub>2</sub><sup>\*</sup> flows, show that the deactivation of  $O_2(a^1\Delta_g)$  and  $O_2(b^1\Sigma_g^+)$  was completely determined by collisions with ozone molecules, and  $O_2(b^1\Sigma_g^+)$  production occurred via the binary reaction

$$O_2(a^1\Delta_g) + O_2(a^1\Delta_g) \rightarrow O_2(b^1\Sigma_g^+) + O_2(X^3\Sigma_g^-).$$

This made it possible to obtain quite accurate estimates of the  $O_3$  concentrations in the mixing zone.

The initial conditions for components which were not recorded in the experiment were determined by modeling hf discharges and the postdischarge stage during the transport of ozone and oxygen fluxes to the mixing zone.

A number of parameters, describing the flow of reactions in which electronically and vibrationally excited ozone molecules participate, were introduced into the model. Because the reaction rate constants are exponential functions of the vibrational temperatures, the dynamics of the main components of the mixture was strongly affected by a change in the values of these parameters. This made it possible, by comparing the experimental data with the computational results, to determine a single set of model parameters.

### 3. COMPUTATIONAL RESULTS AND DISCUSSION

Figures 2-5 display the typical computational dependences: a)  $O_2(a^1\Delta_g)$  concentration, b)  $O({}^3P)$  and  $O_3$  concentrations, and c) the vibrational temperatures  $T_a$ ,  $T_s$ , and  $T_n$  as functions of time after the nitrogen and oxygen flows are mixed in the ratios  $N_2:O_2=4:1, 9:1, 19:1, and 39:1,$ respectively. The total pressure was 10 torr. The specific energy input in the hf discharge plasma reached  $\approx 1$ J/cm<sup>3</sup> atm.

Figures 2a–5a display the experimental curves<sup>11</sup> of the dynamics  $[O_2(a^1\Delta_g)](t)$  in a mixture of flows of excited oxygen and excited nitrogen (filled circles) as well as flows of excited oxygen and unexcited nitrogen (open circles). One can see that for the same mixtures these dependences differ appreciably, and the addition of excited nitrogen increases the  $O_2(a^1\Delta_g)$  concentration in the mixture by 10-50%. In the experimental determination of the  $O_2(a^1\Delta_g)$  concentration,<sup>11</sup> the error is at most 1-2%, which is consistent with the spread in the experimental points in Figs. 2a–5a.

The relationship between the dynamics of the singletoxygen concentration and the vibrational temperatures  $T_a$ and  $T_s$  of the ozone molecules after the excited N<sub>2</sub> and O<sub>2</sub> flows are mixed can be determined by analyzing simultaneously O<sub>2</sub>( $a^1\Delta_g$ ) and O<sub>3</sub> production and destruction processes.

### 3.1. Dynamics of the excitation of the vibrational modes of ozone molecules

As we have already mentioned, over the time it takes the oxygen excited in an hf discharge to reach the mixing zone  $(t_{tr})$ , all of the atomic oxygen is converted into ozone, which is produced in a vibrationally excited state. The relaxation time of this excitation is much shorter than  $t_{tr}$ , and for this reason, immediately prior to mixing of the oxygen and nitrogen flows, the ozone vibrational temperatures  $T_a$  and  $T_s$  are equal to the gas temperature.

We shall now analyze the computational results, displayed in Figs. 2c–5c, for the dynamics of the excitation of the O<sub>3</sub> vibrational modes. After the N<sub>2</sub><sup>\*</sup> in O<sub>2</sub><sup>\*</sup> fluxes mix, vibrations in the asymmetric mode of ozone are excited in vv' exchange processes between nitrogen and ozone [the reactions (1)]. This excitation stimulates O<sub>3</sub> dissociation in the processes (8) accompanied by the production of atomic oxygen O(<sup>3</sup>P). For [O(<sup>3</sup>P)]/[M] >0.3%, where



FIG. 2. (a)  $O_2(a^1\Delta_g)$  concentration, (b)  $O^3(P)$  and  $O_3$ , and (c) vibrational temperatures of the asymmetric  $(T_a)$  and symmetric  $(T_s)$  modes of  $O_3$  as a function of time after mixing of the nitrogen and oxygen flows in the ratio  $N_2 : O_2 = 4:1; P = 10$  torr. The open and filled circles represent the experimental data<sup>9,10</sup> obtained by mixing fluxes of excited oxygen with excited and unexcited nitrogen, respectively. The solid lines represent the computational results obtained in the harmonic-oscillator approximation; the short-dash lines represent the computational results obtained the long-dash line represents the time dependence of the vibrational temperature of nitrogen  $(T_n/2)$ .

 $M=N_2,O_2$ , an increase of the  $O({}^3P)$  concentration results in an increase of the characteristic frequency of  $O_3$  intermode exchange. This condition holds only for the mixtures  $N_2:O_2=4:1$  and 9:1. For this reason, at times t=0.3-1 ms, the quasistationary values of  $T_a$  are lower and those of  $T_s$  are higher for these mixtures than for mixtures with a lower oxygen fraction. The quantities  $T_a$  and  $T_s$  remain constant as long as  $O_3(v_a)$  vibrations are excited mainly via vv' exchange with nitrogen molecules. As the ozone concentration decreases, the contribution of this excitation channel decreases and, as a result, the contribution of three-particle ozone production reactions increases. The rates of the processes (7) and (1) become equal when  $[O_3] = [O_3]^*$ , where

$$[O_3]^* = sK_7[O][O_2][M]/(K_1[N_2(\nu=1)]),$$
  
M=N<sub>2</sub>,O<sub>2</sub>,



FIG. 3. Same for the mixture N<sub>2</sub>:  $O_2 = 9:1$ . The long-dash lines represent the time dependence of the vibrational temperature of nitrogen  $(T_n/2)$ .

here s is the ratio of the numbers of the vibrational quanta of the asymmetric mode of O<sub>3</sub>, which are produced in the reactions (7) and (1), respectively. Therefore, for  $[O_3] < [O_3]^*$  the condition  $Q_{vv}^{na} < F^a$  is satisfied for the terms on the right-hand side of Eq. (5).

The decrease of the vibrational quanta stored in the asymmetric mode of O<sub>3</sub> is determined by O<sub>3</sub>( $v_a$ ) intermode exchange and dissociation processes (8), dissociation being the predominant channel for  $T_a > T_a^* \approx 1000$  K. One can see from Figs. 2c-5c that the latter condition holds at times  $t > (5-6) \cdot 10^{-4}$  s, so that in Eq. (5)  $D^a > Q_{yv}^{as} + P_{vT}^a$ .

Under the conditions considered, when  $[O_3] < [O_3]^*$ , the degree of vibrational excitation of ozone and the quantity  $T_a$  are found to depend on the ratio  $\eta = [O({}^3P)]/[O_3]$ . As the values of  $T_a$  increase, the vibrational temperature of  $O_3$ reaches the critical value  $T_a^*$ , at which the dissociation of ozone molecules in the asymmetric vibrational mode in the reactions (8) proceeds just as quickly as intermode exchange with the symmetric mode of  $O_3$ . Ultimately, when  $T_a > T_a^*$ holds, a situation arises when an increase of the ratio  $\eta$  results in an increase of  $T_a$ , and this, in turn, results in acceleration of  $O_3$  dissociation and further growth of  $\eta$ . Since these processes are interrelated, positive feedback occurs. We



FIG. 4. Same for the mixture N<sub>2</sub>:O<sub>2</sub>=19:1. The short-dash lines represent the computational results for  $\phi(T_v)=1$ . See text for an explanation of the notation.

term this a "vibrational explosion." The time corresponding to the "explosion" is marked in the figures by an arrow.

If it is assumed that for terms on the right-hand side of Eq. (5) the conditions  $D^a \ge Q_{vv}^{as} + P_{vT}$  and  $F^a \ge Q_{vv}^{na}$  are satisfied, then linearizing the equation obtained and the equation for the rate of change of the ozone concentration, we obtain an estimate for the growth rate of the "vibrational explosion"  $(T_a \sim \exp(\gamma t))$ :

$$\gamma \simeq \nu_0 \frac{E_{act}^{eff}}{kT_a^*} \exp\left\{-\frac{E_{act}^{eff}}{kT_a^*}\right\},$$

 $\nu_0$  is the frequency of gas-kinetic collisions,  $E_{act}^{eff}$  is the effective activation barrier in ozone decomposition reactions (8), and  $T_a^*$  is the critical vibrational temperature of the asymmetric mode.

As the vibrational temperature  $T_a$  increases, processes leading to the dissociation of  $O_3(v_a)$  molecules start to influence strongly the form of the vibrational distribution function of  $O_3$  in high vibrational levels. This influence was taken into account by introducing corresponding corrections into the expression for the dependence of the rate constants of processes with high energy barriers on the vibrational ex-



FIG. 5. Same for the mixture  $N_2:O_2 = 39:1$ .

citation of the reagents. In particular, the expressions (12)–(13) were used for O<sub>3</sub> collisional dissociation processes (8).

The presence of the factor  $\phi(T_v)$  in Eq. (12) is associated with the appearance of a dependence of the ozone dissociation rate constant on the ratio of the rates of vv exchange and dissociation of O<sub>3</sub>. When this ratio decreases, the populations of the upper vibrational levels of O<sub>3</sub> decrease as a result of dissociation, and this results in lower values of  $K_D$ .

Therefore, as  $T_a$  and the concentration of ozone molecules decrease (Figs. 2-5), the values of  $\phi(T_a)$  and  $K_D$  $(T_a)$  decrease appreciably. Ultimately, this results in a decrease of the O<sub>3</sub> decomposition rate and a change in the sign of the derivative  $d[O_3]/dt$ .

The computational results displayed in Figs. 2–5 were obtained for values of  $\phi(T_v)$  determined by the expression (13). Figure 4 displays calculations for the case  $\phi(T_v)=1$  (dashed lines). As one can see, if we drop the effect of dissociation processes on the form of the vibrational distribution function of O<sub>3</sub> by setting  $\phi(T_{a,s})=1$ , then the explosive growth of the vibrational temperatures  $T_a$  and  $T_s$  saturates at much higher values of these temperatures. Moreover, the maximum degree of dissociation of the ozone molecules increases by a factor of 10 and the dynamics of

 $[O_2(a^1\Delta_g)](t)$  is qualitatively different after the "vibrational explosion."

The growth of the vibrational temperature  $T_a$  saturates for the following reason. It follows from Eq. (5) for the number of vibrational quanta stored in the asymmetric mode of O<sub>3</sub> that the intensity of pumping of vibrations in the reactions (7) does not change much over the time of the "explosion." At the same time, the quantity  $D^a$ , determined by the rate of the process of dissociation of O<sub>3</sub>( $v_a$ ) molecules, increases significantly with increasing  $T_a$  as a result of the exponential growth of the constants of the reactions (8). Ultimately, when a stationary value  $T_a^{st}$  is reached, the derivative da/dt becomes equal to zero. Then, the ozone concentration is such that the O<sub>3</sub> production and decomposition processes are balanced.

As we have already mentioned above, ozone dissociates mainly via the processes (8), stimulated by vibrational excitation of the asymmetric mode of  $O_3$ . However, for mixtures with a high oxygen content and, correspondingly, high  $O_2(a^1\Delta_g)$  concentration (for example,  $N_2 : O_2 = 4:1$ , Fig. 2), the reaction leading to decomposition of  $O_3$  on  $O_2(a^1\Delta_g)$ (22) is also important. In this case, the characteristic  $O_3$  dissociation times are almost two times shorter than the corresponding times for mixtures with a low oxygen content. Ultimately, the times at which the condition  $[O_3] < [O_3]^*$ holds and  $T_a$  starts to increase are shorter for the mixture  $N_2 : O_2 = 4:1$  (Fig. 2) than for the mixtures 19:1 (Fig. 4) and 39:1 (Fig. 5). In the latter two cases, these times are comparable in magnitude to the relaxation time of  $N_2$  vibrational excitation at the walls of the discharge tube.

The effect of relaxation of N<sub>2</sub> vibrations on  $T_a(t)$  dynamics is different for different mixtures and depends on the magnitude of the channel corresponding to the contribution of the vv' exchange with nitrogen to the vibrational excitation of  $O_3(v_a)$ . For mixtures with a low oxygen content, when the contributions of this channel and the three-particle O<sub>3</sub> production reactions are comparable in magnitude, a decrease of  $T_n$  results in a decrease of  $T_a$  and  $T_s$  (Figs. 4c, 5c). At the same time, for the mixtures  $N_2: O_2=4:1$  and 9:1, a decrease of  $T_n$  has a weaker effect on the  $T_a(t)$  dynamics. The main channel for  $O_3(v_a)$  relaxation at this stage is intermode exchange in  $O_3$ ; this results in the excitation of the deformational mode of ozone. The usual time for the deformation mode is  $\sim 0.1 \ \mu s$ . As a result of this, the vibrational temperature  $T_s$  reaches its quasistationary value after  $T_a$  becomes stationary (Figs. 2c-5c).

## 3.2. Dynamics of the production of singlet-oxygen molecules

After the flows of excited oxygen and unexcited nitrogen mix (open circles in Figs. 2a-5a), the  $O_2(a^1\Delta_g)$  concentration changes very little at times  $t \le 10^{-2}$  s. This is associated with the fact that the deactivation of this state on unexcited ozone molecules is slow.

The mixing of the excited oxygen and nitrogen fluxes, as has already been mentioned, results in filling of the asymmetric vibrations of  $O_3$  and growth of  $T_a$  and  $T_s$  (Figs. 2c– 5c). An increase of the vibrational temperature  $T_a$  stimulates

increases. The temporal resolution of the experiment of Ref. 9 (~0.2 ms) made it impossible to record fast  $O_2(a^1\Delta_g)$ production and destruction processes immediately after mixing. Modeling showed, however, that in all of the mixtures considered, at times t < 0.3 ms, the vibrational temperatures  $T_a$  and  $T_s$  and the  $O_2(a^1\Delta_g)$  concentration behave similarly is functions of the time. The dynamics of the  $O_2(a^1\Delta_g)$  concentration is described by the equation

$$\frac{d[(O_2(a^1\Delta_g)]}{dt} = [O_3(v_a)][O_2]K_8$$
$$-[O_2(a^1\Delta_g)]([O_3(v_c)]K_{22} + O(^3P)]K_{23},$$
(21)

 $O_2(a^1\Delta_{e})$  production in reactions of  $O_3(1^3B_2)$  with oxygen

(15). As a result, for  $t \leq 50 \ \mu$ s the  $O_2(a^1 \Delta_{\varrho})$  concentration

where

$$O_{2}(a^{1}\Delta_{g}) + O_{3}(vib) \rightarrow O(^{3}P) + 2O_{2}(X^{3}\Sigma_{g}^{-}),$$

$$K_{22} = 5.2 \cdot 10^{-11} \exp\left(-\frac{2840}{T_{s}}\right),$$

$$O_{2}(a^{1}\Sigma_{g}) + O(^{3}P) \rightarrow O(^{3}P) + O_{2}(X^{3}\Sigma_{g}^{-}),$$

$$K_{22} = 5.2 \cdot 10^{-16} + 0.000 \text{ (22)}$$

$$K_{23} = 1.3 \cdot 10^{-16} \text{ cm}^3/\text{s.}$$
 (23)

Comparing the quench rates  $K_{22}$  and  $K_{23}$  shows that  $O_2(a^1\Delta_g)$  deactivation is determined by the reaction (22) and depends strongly on the vibrational temperature  $T_s$  of the symmetric mode of ozone.

The main  $O_2(a^1\Delta_g)$  production channel is quenching of  $O_3(1^3B_2)$  by oxygen (15). The concentrations of  $O_3(1^3B_2)$  and vibrationally excited ozone molecules in the ground state  $O_3({}^{1}A_1, v_a)$  are related by the relation (17). For this reason, the character of the function  $[O_2(a^1\Delta_g)](t)$  depends on the ratio of the vibrational temperatures  $T_a$  and  $T_s$ , whose values determine the rates of the reactions (15) and (22), respectively. The characteristic values of the  $O_3(1^3B_2)$  concentrations for  $t \ge 10^{-4}$  s are  $10^{11} - 10^{12}$  cm<sup>-3</sup>.

The vibrational temperature  $T_a$  reaches a quasistationary value at times  $t \ge (5-7) \cdot 10^{-4}$  s, while  $T_s$  continues to grow. As a result of this, the derivative  $d[O_2(a^1\Delta_g)]/dt$  at first decreases to zero and then becomes negative. The absolute values of the derivative increase as the oxygen fraction in the mixture increases.

The "explosive" growth of the vibrational temperature  $T_a$ , described in the preceding section, results in acceleration of the  $O_2(a^1\Delta_g)$  production reactions (15). The concentration of singlet oxygen increases. The "vibrational explosion" is immediately followed by a decrease of the vibrational temperature  $T_a$  (Figs. 2c-5c). As a result, the sign of the derivative  $d[O_2(a^1\Delta_g)]/dt$  changes once again and a second maximum appears in the curve  $[O_2(a^1\Delta_g)](t)$  (Figs. 2a-3a). The amplitude of this maximum decreases appreciably as the oxygen fraction in the mixture decreases, but the character of the time dependence of the  $O_2(a^1\Delta_g)$  concentration does not change, since the character of the relative change of  $T_a$  and  $T_s$  remains the same.

As follows from Eq. (21), the derivative  $d[O_2(a^1\Delta_g)]/dt$  is proportional to the concentration  $[O_3(t)]$ , which depends on the initial value  $[O_3(t=0)]$ . As we have already noted above, the initial values of the ozone concentration in front of the mixing zone were determined on the basis of experimental data on the  $O_2(a^1\Delta_g)$  and  $O_2(b^1\Sigma_g^+)$  deactivation rates.<sup>11,12</sup> These values agree well with the computational results for all mixtures investigated.

We obtained our main results by using the harmonicoscillator approximation for the vibrational modes of ozone. Taking into account anharmonicity in the equations of vibrational and chemical kinetics did not change the qualitative picture of the dynamics of  $[O_2(a^1\Delta_g)]$  and of the  $O_3$  vibrational temperatures. The computational results, illustrating the effective anharmonicity of the vibrations of ozone molecules, are presented in Figs. 2a and 2c (dashed lines).

The values of the model parameters were obtained by matching the results of a series of calculations to the experimental data. This enabled us to use a single set of parameters to describe all experimental results.

Under the conditions considered, the influence of the process

$$O(^{3}P) + O_{3}(vib) \rightarrow O_{2} + O_{2}(X^{3}\Sigma_{g}^{-}),$$

$$K = 8 \cdot 10^{-12} \exp\left(-\frac{2060}{\alpha_{c}T_{c}}\right)$$
(24)

on the  $O_2(a^1\Delta_g)$  kinetics and the ozone vibrational kinetics was insignificant. This made it difficult to determine the role of any particular mode of ozone in the acceleration of these processes. The best quantitative agreement between the computational and experimental results was obtained by assuming that the reactions (24) are accelerated by the excitation of the symmetric  $O_3$  vibrational mode with the vibrational excitation utilization factor  $\alpha_c \approx 0.3 \pm 0.2$ . The value obtained for the coefficient  $\alpha_s$  agrees with the data of Ref. 31.

The value obtained for the rate constant of vv' exchange between N<sub>2</sub>( $\nu$ =1) and O<sub>3</sub>(101) [reaction (1)] was found to be  $K_1 = (5 \pm 2) \cdot 10^{-14}$  cm<sup>3</sup>/s. It agrees with the value, presented in Ref. 6, for the effective rate constant of energy transfer from vibrational degrees of freedom of nitrogen into the electronic state  $a^{1}\Delta_{g}$  of the oxygen molecule. The best agreement between the theoretical and experimental results was obtained for  $\delta \epsilon \simeq 0.45 \pm 0.05$  eV, which is somewhat smaller than the value  $\delta \varepsilon \sim 0.05 - 0.6$  eV obtained in Refs. 22 and 23. The effective vibrational level  $v_a$  of the asymmetric mode of  $O_3$ , above which the ozone electronic states  ${}^{1}A_{1}$  and  ${}^{3}B_{2}$  are assumed to be strongly coupled, was found to be close to the  $O_2(X^3\Sigma_{\rho}) + O({}^3P)$  dissociation threshold (in the harmonic approximation  $v_a \approx 7$ ). The rate constant for quasiresonant transfer of electronic excitation from O<sub>3</sub>  $(1^{3}B_{2})$  to  $O_{2}(a^{1}\Delta_{\rho})$  (15), determined to within the factor  $P^+/P^- \simeq 1$ , was found to be  $(1.4 \pm 0.5) \cdot 10^{-12}$  cm<sup>3</sup>/s. This value agrees with the data of Refs. 14 and 15 for the rate of this process in the NO<sub>2</sub>( ${}^{2}B_{2}$ )—O<sub>2</sub>( $a^{1}\Delta_{e}$ ) system.

Note that the description of the ozone dissociation process on the basis of the given form of the  $O_3$  vibrational distribution function is not entirely correct. At the present time, however, full-scale numerical modeling of the kinetics of individual levels in the system of  $O_3$  vibrational modes is complicated by the lack of data on the rates of vv and vv'exchange on high vibrational levels of different modes of  $O_3$ .

### 4. CONCLUSIONS

In the present paper we have presented a theoretical model of the production of singlet-oxygen  $O_2(a^1\Delta_g)$  molecules in strongly excited nitrogen-oxygen gas media. The model was developed on the basis of results obtained in a series of experimental and theoretical investigations which we performed.<sup>7-12</sup>

The model is based on a new mechanism of excitation of the lower singlet level of oxygen by transfer of energy during the interaction of electronically excited state  $1^{3}B_{2}$  of ozone with oxygen molecules. The ozone molecules appearing in high vibrational levels in the asymmetric mode ( $v_{a} \ge 7$ ) are transformed into this electronic state by nonadiabatic transitions.

It was found that vibrationally excited nitrogen plays an important role as a reservoir for asymmetric vibrations of ozone. It was also shown that acceleration of  $O_2(a^1\Delta_g)$  quenching in reactions with ozone is associated with the excitation of the O<sub>3</sub> bending vibrations (symmetric mode). This reaction probably proceeds via the excitation of the intermediate electronic state  $O_3(1^3B_2)$ . The rate constants of the processes studied were determined by comparing the results of modeling to existing experimental data.

As mentioned above, the model is based on a large quantity of experimental data on the kinetics of  $O_2(a^1\Delta_g)$ . The lack of experimental data on  $O_3(1^3B_2)$  diagnostics under the same conditions raises the question of performing additional investigations to check the basic assumptions of the theory developed.

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