tions ). For the total energy free in the reaction ( accounting the loss of 18.2 Mev for the binding energy) we have, therefore, the value 140.6 Mev , which corresponds very well to the $\pi^{-}$-meson rest energy ( 139.6 Mev ). Consequently, in our case, $\mathrm{Li}^{8}$ fragments are produced either in ground state or with an excitation energy less than 2 Mev . This follows also from the fact that, for excitation energies larger than $\sim 2 \mathrm{Mev}, \mathrm{Li}^{8}$ should disintegrate emitting a neutron. The yield of reaction (3), estimated under the assumption that the probability of $\pi^{-}$meson capture by any emulsion nucleus is proportional to the number of nuclei of a given type, ${ }^{7}$ amounts to $\sim 0.2 \%$ of the total number of captures by beryllium.

The character of the observed disintegrations is clearly in disagreement with the assumption that the rest energy of the $\pi^{-}$meson is distributed, in the primary act, among a group consisting of a small number of nucleons. If such a group consisted even of 4 nucleons, the excitation energy of $\mathrm{Li}^{8}$ should have amounted to not less than $\sim 30$ Mev . Consequently, the fast neutron obtains its energy as the result of an interaction in which take part all nucleons of the residual $\mathrm{Li}^{8}$ nucleus.

The existence of disintegrations corresponding to reaction (3) indicates that collective interactions of nucleons in the nucleus can play an important role in the process of slow $\pi^{-}$-meson absorption.

A study of a wider class of stars confirms this conclusion.

The author thanks the supervisor of the work, Prof. V. I. Veksler, for constant interest and valuable discussion, to V. G. Larionova for help in planning the experiments, as well as to S . M. Kornechenko and V. J. Zinov for help in work with the meson beam.

[^0][^1]Translated by H. Kasha
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ENERGY DEPENDENCE OF THE ASYMMETRY COEFFICIENT IN $\pi^{+} \rightarrow \mu^{+} \rightarrow e^{+}$ DECAYS FOR THE LOW ENERGY PART OF THE POSITRON SPECTRUM
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Submitted to JETP editor May 21, 1958
J. Exptl. Theoret. Phys. (U.S.S.R.) 35, 542-544 (August, 1958)
$\mathrm{W}_{\mathrm{E}}$ efficient a in $\pi^{+} \rightarrow \mu^{+} \rightarrow \mathrm{e}^{+}$decays, taken over the whole positron spectrum in propane filling a bubble chamber, is $-0.19 \pm 0.03$.

Recently we studied the asymmetry coefficient $a^{\prime}$ for various parts of the positron energy spectrum. Positron energies were measured by multiple scattering.

The distribution function for positron decays, according to the four-component theory taking ac-
count of nonconservation of parity, has the form ${ }^{2}$

$$
\begin{aligned}
& d N(\varepsilon, \theta)=A\left\{3(1-\varepsilon)+2 \rho\left(\frac{4}{3} \varepsilon-1\right)\right. \\
& \left.-\xi \cos \theta\left[(1-\varepsilon)+2 \delta\left(\frac{4}{3} \varepsilon-1\right)\right]\right\} \varepsilon^{2} d \varepsilon d \Omega
\end{aligned}
$$

where $\epsilon=E / E_{\text {max }}$ is the positron energy as a fraction of the maximum energy; $\rho, \xi$ and $\delta$ are parameters of the theory which depend on the coupling constant. In the two-component theory $\rho=$ $0.75 ;-1<\xi<+1 ; ~ \delta=0.75 .^{3}$

The existing experimental data mainly concern the determination of the constant $\rho: \rho=0.68 \pm$ $0.02 ;^{4} \xi=0.8 \pm 0.15 .{ }^{5}$ Data on the determination of the parameter $\delta$ are few up to the present. ${ }^{6}$

The difference in the values of the quantity $a_{I I}^{\prime}$, calculated from the two-component theory (i.e., where $\delta=0.75$ ) and the quantity $\mathrm{a}_{\mathrm{IV}}^{\prime}$, calculated from the four-component theory (where $\delta>0.75$ ) relative to the value $a_{\text {II }}^{\prime}$ (i.e., the quantity $\left.\left|\mathrm{a}_{\mathrm{II}}^{\prime}-\mathrm{a}_{\mathrm{IV}}^{\prime}\right| / \mathrm{a}_{\mathrm{II}}^{\prime}\right)$ is much smaller in the highenergy part of the spectrum than in the low-energy part.

| $\begin{aligned} & \text { Energy in- } \\ & \text { terval in } \\ & \text { units } \\ & \varepsilon=E / E_{\text {max }} \end{aligned}$ | Number of positrons | $a_{0-\varepsilon}^{\prime} \quad \begin{gathered} \text { Experimental value* } \\ \text { calculated according to } \end{gathered}$ |  | Expected value of $a^{\prime} 0-\varepsilon$ from the two-component theory according to data for the "corrected" spectra with $\mathrm{a}=\mathbf{- 0} 19$. |
| :---: | :---: | :---: | :---: | :---: |
|  |  | *Forward-backward" ratio | Mean cosine |  |
| 0-0.2 | 62 | $+0.35+0.27$ | $+0.34+0.25$ | +0.095 |
| $0-0.3$ | 183 | $+0.29 \pm 0.16$ | +0.25 $\pm 0.15$ | +0.08 |
| 0--0.4 | 312 | +0.18士0.12 | +0.14士0.11 |  |

[^2]Because of this, and also because of the dependence of the parameter $\delta$ on the interference terms, experiments studying the quantity* al.e. afford especially sensitive tests of various variants of the theories of $\mu \rightarrow$ e decays.

Experimental data on the determination of the quantity $a_{1 . e}^{\prime}$. are given in a few experimental works (see references 7 and 8 ).

In order to determine the quantity $a_{1 . e}^{\prime}$, we used the low-energy positron tracks from 10,000 $\pi^{+} \rightarrow \mu^{+} \rightarrow \mathrm{e}^{+}$decays considered in reference 1.

In measuring positron energies by multiple scattering, the measurements are not affected by positron annihilation in flight (which might make the determination of $a_{1 . e}^{\prime}$. incorrect because of a misleading relative transfer of part of the positrons from the region of high energies into the region of low ones ). Effects from fluctuations in the energy loss by bremsstrahlung are unimportant in this method. The influence of the mean square error, which is less than $30 \%$, in measuring energies by second differences, affects the quantity $a_{1 . e}^{\prime}$. significantly less than radiative corrections ${ }^{2}$ for bremsstrahlung.

Values of the asymmetry coefficient $a_{1 . e}^{\prime}$ are given in the table for energy intervals $0-0.2 \epsilon$; $0-0.3 \epsilon ; 0-0.4 \epsilon$.

In the measurements we used positron tracks tentatively chosen by visual estimate of their energies from multiple-scattering measurements. For the positron tracks found by energy measurements to be outside of the interval from 0 to 20 Mev , the coefficient $\mathrm{a}_{0-\epsilon}^{\prime}$ was observed to decrease with increasing energy. For $\epsilon=0.7 \mathrm{E} / \mathrm{E}_{\max }$ the quantity $\mathrm{a}_{0-\epsilon}^{\prime}$ was approximately zero.

The angular distribution for the positrons included in the table fits well $1+\mathrm{a} \cos \varphi$ law (see figure).

The error in the values of $a_{l . e}^{\prime}$, was determined from the 'forward-backward' ratio according to the formula $2.2 / \sqrt{\mathrm{N}}$, or the mean cosine according to the formula $1.98 / \sqrt{\mathrm{N}}$.

The expected value of $a_{1 . e}^{\prime}$. in the two-component theory was calculated from the theoretical
spectrum, 'corrected' for the effects of errors in the measured energies, ${ }^{9}$ radiative corrections, ${ }^{2}$ and effects of bremsstrahlung.

The measured values $a_{l . e . ~ i n ~ t h e ~ e n e r g y ~ r e-~}^{\prime}$ gion up to 20 Mev indicate that the sign of the coefficient $a_{l . e . ~ i s ~ p o s i t i v e . ~ F r o m ~ o u r ~ d a t a ~ t h e ~}^{\text {l }}$ probability of a negative sign for $a_{1 . e}^{\prime}$. in the energy interval from 0 to 15 Mev is less than $5 \%$.
a - positrons of energy up to $0.4 \varepsilon$. b-positrons of energy up to $0.3 \varepsilon$.


Vaisenberg et al. ${ }^{10}$ have found from measurements in photoemulsions that $a_{0-0.3 \epsilon}^{\prime}$ is equal to $0.14 \pm 0.10$ (according to the two-component theory the value of $a_{0-0.3 \epsilon}^{\prime}$ for this case is equal to 0.04 ). From our experiments, using the same method for calculating $a_{1 . e ., ~ i t s ~ v a l u e ~ f o r ~ t h e ~}^{\text {f }}$ energy 0 to $0.3 \epsilon$ interval is equal to $0.25 \pm 0.15$ ( according to the two-component theory $\mathrm{a}_{0-0.3}^{\prime}=$ $0.08)$. These experimental data, viewed as a whole, do not contradict the two-component theory, but agree better with the four-component theory if $\rho \approx 0.68$ and $\delta>0.8$ are used.

To obtain a reliable experimental value for $\mathrm{a}_{0-\epsilon}^{\prime}$, it would be necessary to increase the statistical accuracy of the result.

We should like to express our gratitude to Acad. A. I. Alikhanov for suggesting this subject and for discussion of results, to A. O. Vaisenberg for discussion of a series of problems, to Prof. V. P. Dzhelepov for making it possible to use the $\pi^{+}$ meson beam from the synchrocyclotron of the

Joint Institute for Nuclear Research, and to A. P. Birzgal for carrying out the calculations.
${ }^{*} a_{1 . e}^{\prime}$. is the asymmetry coefficient for the low-energy part of the decay positron spectrum.
${ }^{1}$ Barmin, Kanavets, Morozov and Pershin, J. Exptl. Theoret. Phys. (U.S.S.R.) 34, 830 (1958), Soviet Phys. JETP 7, 573 (1958).
${ }^{2}$ T. Kinoshita and A. Sirlin, Phys. Rev. 107, 593 (1957).
${ }^{3}$ T. D. Lee and C. N. Yang, Phys. Rev. 105, 1671 (1957); L. D. Landau, J. Exptl. Theoret. Phys. (U.S.S.R.) 32, 407 (1957); Soviet Phys. JETP 5, 337 (1957).
${ }^{4}$ K. M. Crowe, Bull. Amer. Phys. Soc., Ser. II, 2, 206 (1957).
${ }^{5}$ M. F. Kaplon, Proc. Rochester Conference, 1957.
${ }^{6}$ Berley, Coffin, Garwin, Lederman, and Weinrich, Phys. Rev. 106, 835 (1957).
${ }^{7}$ Pless et al., Phys. Rev. 108, 159 (1957).
${ }^{8}$ A. O. Vaisenberg and V. A. Smirnitskii, J. Exptl. Theoret. Phys. (U.S.S.R.) 32, 1340 (1957); Soviet Phys. JETP 5, 1093 (1957); J. Exptl. Theoret. Phys. (U.S.S.R.) 33, 621 (1957); Soviet Phys. JETP 6, 477 (1958).
${ }^{9}$ Bonetti, Levi-Setti, Panetti, Rossi and Tomasini, Nuovo cimento 3, 33 (1956).
${ }^{10}$ Vaisenberg, Smirnitskii, Kolganova, Minervina, ${ }^{\circ}$ Pesotskaia, and Rabin, J. Exptl. Theoret. Phys. (U.S.S.R.) 35, 645 (1958).

Translated by G. E. Brown 109

## RANGES OF $\mathrm{Na}^{24}$ RECOIL NUCLEI AND THE MECHANISM OF CERTAIN PHOTONUCLEAR REACTIONS

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Submitted to JETP editor May 21, 1958
J. Exptl. Theoret. Phys. (U.S.S.R.) 35, 544-546 (August, 1958)
Photonuclear reactions at high photon energies ( $\sim 100$ to 200 Mev ) are usually described by means of the so called "quasi-deuteron" model, according to which the reaction is represented in
the form of three successive processes: (1) absorption of a gamma quantum by a pair of nucleons of the nucleus, ${ }^{1}$ (2) intranuclear nucleon cascade produced by these nucleons, ${ }^{2}$ and (3) evaporation of particles from the excited nucleus that is formed after the cascade. ${ }^{3}$


FIG. 1. Irradiation geometry. $A$ and $B-$ specimens; $A^{\prime}, A^{\prime \prime}$, $B^{\prime}$, and $B^{\prime \prime}$ - films to gather the recoil nuclei from the specimens; $t_{b}$ - effective thickness for recoil nuclei from specimen $A ; t_{f}$ and $t_{r}$ - effective thicknesses for recoil nuclei emerging from specimen $B$ in the forward and reverse directions relative to the $\gamma$-quanta beam.

One of the most direct methods of verifying this model is to measure the ranges of the recoil nuclei. ${ }^{4}$ In our experiments, we measured a quantity proportional to the range, namely the effective thickness $t$ of the specimen for $\mathrm{Na}^{24}$ recoil nuclei produced by photonuclear reactions from aluminum, silicon, phosphorus, and sulphur. The value of $t$ was determined from the expression $t=N / a_{0}$, where N is the number of recoil nuclei per square centimeter of a specimen whose thickness is greater than the maximum range of the recoil nuclei, while


FIG. 2. Dependence of the effective thicknesses $t_{f}$, $t_{b}$, and $t_{r}$ for the $\mathrm{Na}^{24}$ recoil nuclei, produced in the reaction $\mathrm{Al}^{27}$ ( $\gamma, 2 \mathrm{pn}$ ), on the energy $\mathrm{E}_{\gamma}$ of the gamma quanta. - - experimental values of the mean effective thickness in the photonenergy intervals ( $35-80,80-100,100-150,150-200$, and $200-260 \mathrm{Mev}$ ). Solid curve - calculated from the compoundnucleus theory. Cross-hatched curve - calculated by the "quasi-deuteron" model.

## ERRATA TO VOLUME 7

Page
Nuclear magnetic moments of $\mathrm{Sr}^{87}$

$$
\begin{gathered}
\cdots-x \sqrt{\overline{i_{0}\left(j_{0}+1\right)}} \\
L(L+1)\left[\left|B_{L}^{-}\right|^{2}-\left|B_{L}^{+}\right|^{2}\right] \\
\varepsilon_{11}=1-\sum \frac{\cdots}{\sqrt{\pi} \mu}
\end{gathered}
$$

$$
\sqrt{\pi / 8}
$$

$$
\left|E_{\gamma}<50 \mathrm{Mev}\right| E_{\gamma}>50 \mathrm{Mev}
$$

a) $\omega<\omega_{\mathrm{H}}$, b) $\omega>\omega_{\mathrm{H}}$
$\Gamma=\mu_{2} / \mu_{1}, \mu_{\perp}=\left(\mu_{1}^{2}-\mu_{2}^{2}\right) / \mu_{1}$

## ERRATA TO VOLUME 8

## Page

375 Figure caption

816 Beginning of
Eq. (8)

## Reads

a) positrons of energy up to $0.4 \epsilon$, b) positrons of energy up to $0.3 \epsilon$.

$$
I_{2}^{5}=(4 \pi)^{2} \ldots
$$

## Should Read

a) positrons of energy up to $0.3 \epsilon$, b) positrons of energy up to $0.4 \epsilon$.

$$
I_{2}^{2}=(4 \pi)^{5} \cdots
$$


[^0]:    *Energy of the $\mathrm{Li}^{\mathbf{8}}$ fragments was determined from an experimental range-energy relation obtained by V. N. Maikov in a study of photonuclear reactions, Приборы и техника эксперимента (Instrum. \& Instrum. Engg.) (in press).

[^1]:    ${ }^{1}$ D. H. Perkins, Phil. Mag. 40, 601 (1949).
    ${ }^{2}$ Menon, Muirhead, and Rochat, Phil. Mag. 41, 583 (1950).
    ${ }^{3}$ W. B. Cheston and L. J. B. Goldfarb, Phys. Rev. 78, 683 (1950).
    ${ }^{4}$ F. L. Adelman, Phys. Rev. 85, 249 (1952).

    - ${ }^{5}$ G. Vanderhaeghe and M. Demeur, Nuovo cimento Suppl. 4, 931 (1956).
    ${ }^{6}$ P. Ammiraju and L. M. Lederman, Nuovo cimento 4, 283 (1956).
    ${ }^{7}$ Sens, Swanson, Telegdi, and Yovanovitch, Nuovo cimento 7, 536 (1958).

[^2]:    $*_{a}^{\prime}{ }_{0-\varepsilon}$ is the asymmetry coefficient for positions in the interval of energy from 0 to $\varepsilon$.

